

# Automatic Scalable Macromodel Construction for Microwave System Responses using Sequential Sampling

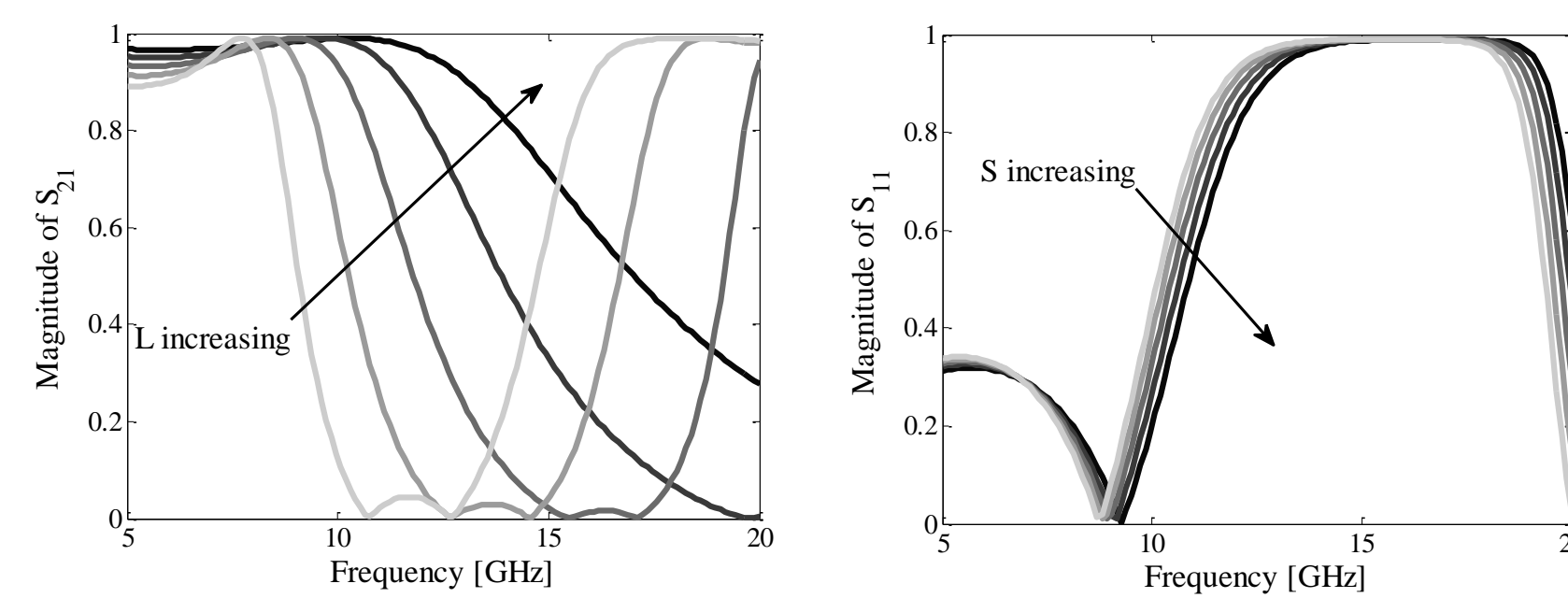
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## Motivation

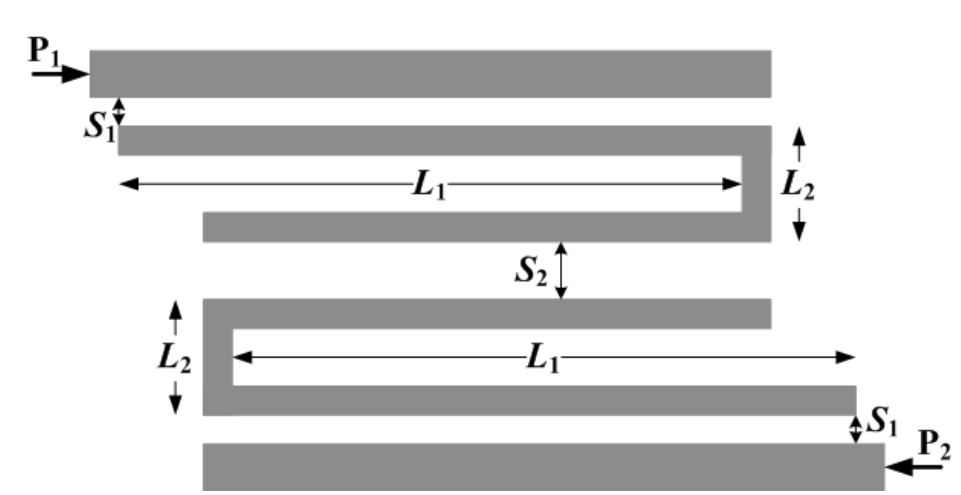
**Problem:** Design of electromagnetic (EM) systems with accurate EM solvers are very expensive and state-of-the-art scalable macromodeling method can replace them in the design process. However a priori information such as the distribution of modeling samples is required in building such models which is a difficult task.



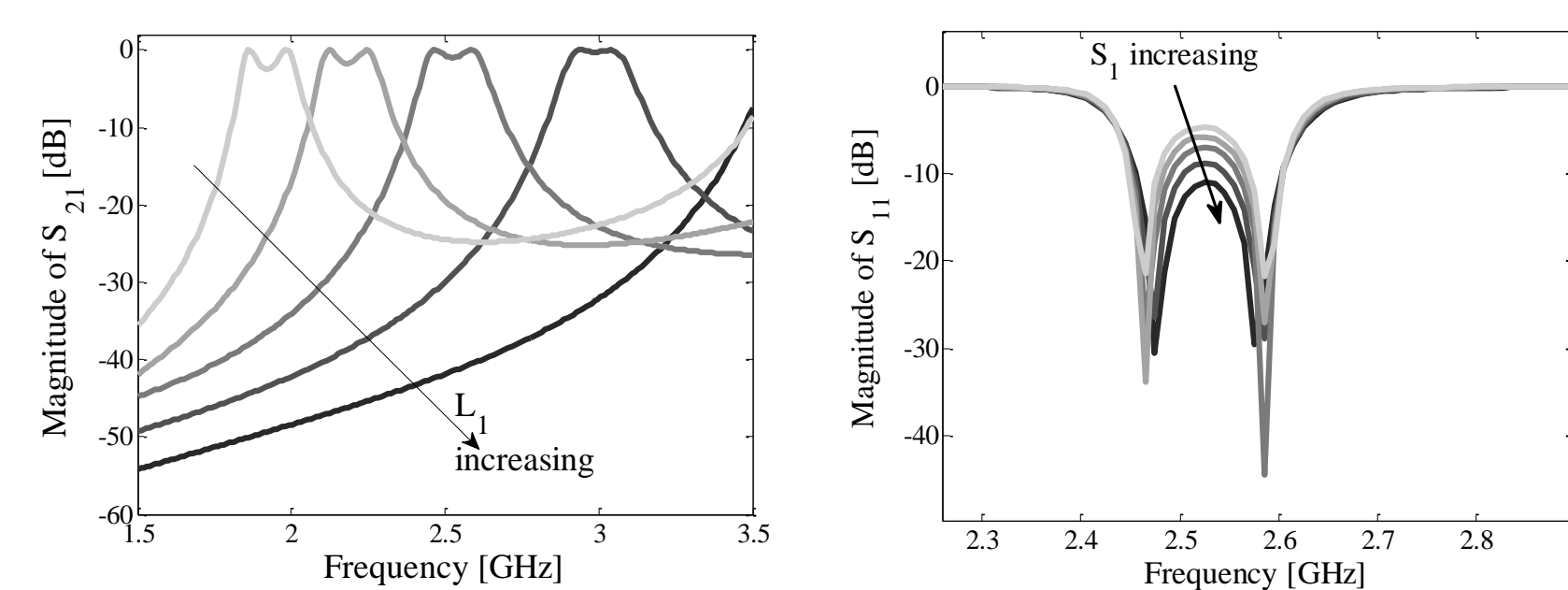
Layout of a double folded band stop filter



Parametric behavior of the folded stub filter



Layout of a hairpin band pass filter



Parametric behavior of the hairpin filter

**Goal:** To automatically build accurate scalable macromodels with as little a priori information as possible. The final aim of this work is to generate models at the “press of a button”.

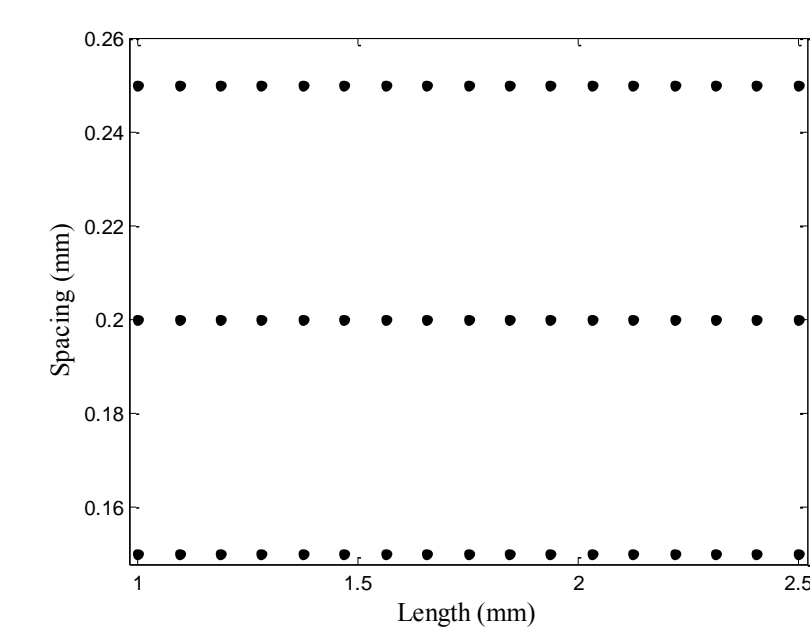
**Strategy:** Selecting the modeling samples based on error criteria to find highly dynamic regions of the design space while preserving the properties of the macromodel such as stability and passivity.

## Results

### Example I: Folded stub band stop filter

#### Observations:

- Length parameter is much more influential than the spacing.
- A uniform sampling is not suitable.
- Stable and passive: a dense sweep over the design space of the macromodel shows poles in the left half of the S-plane with unity bounded H-infinity norm.



Final design space samples

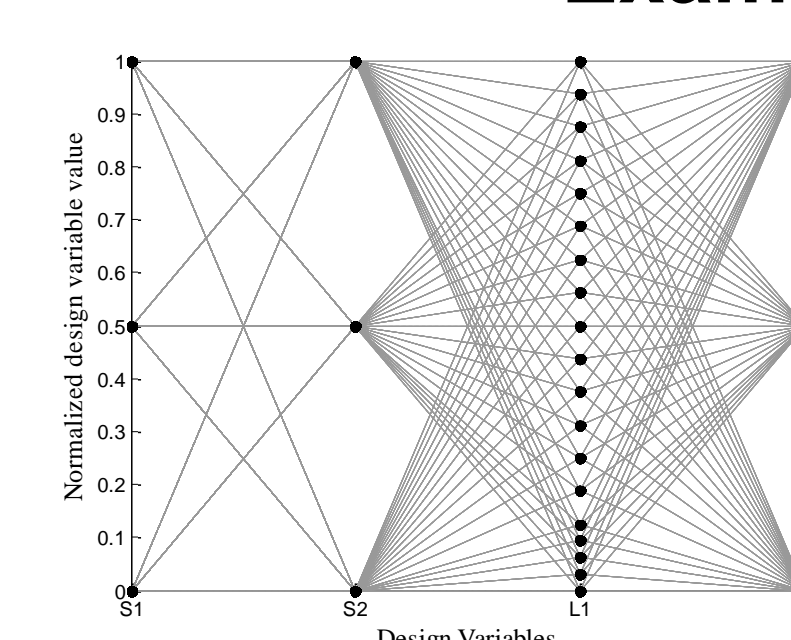
### Example II: Hairpin band pass filter

#### Observations:

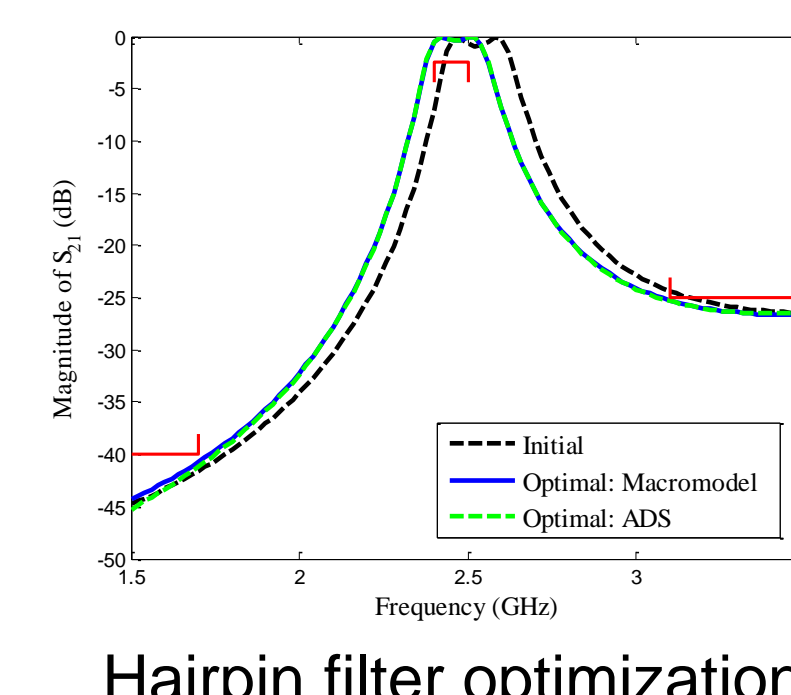
- The parameter  $L_1$  is the most influential.

#### Design optimization:

- The scalable macromodel is further used in the filter design.
- A single EM solver simulation costs **145** seconds but with scalable macromodel it is just **0.29** seconds.
- Considerable speedup in the design.



Final design space samples in parallel coordinate plot



Hairpin filter optimization

Multiple optimization scenarios with scalable macromodel

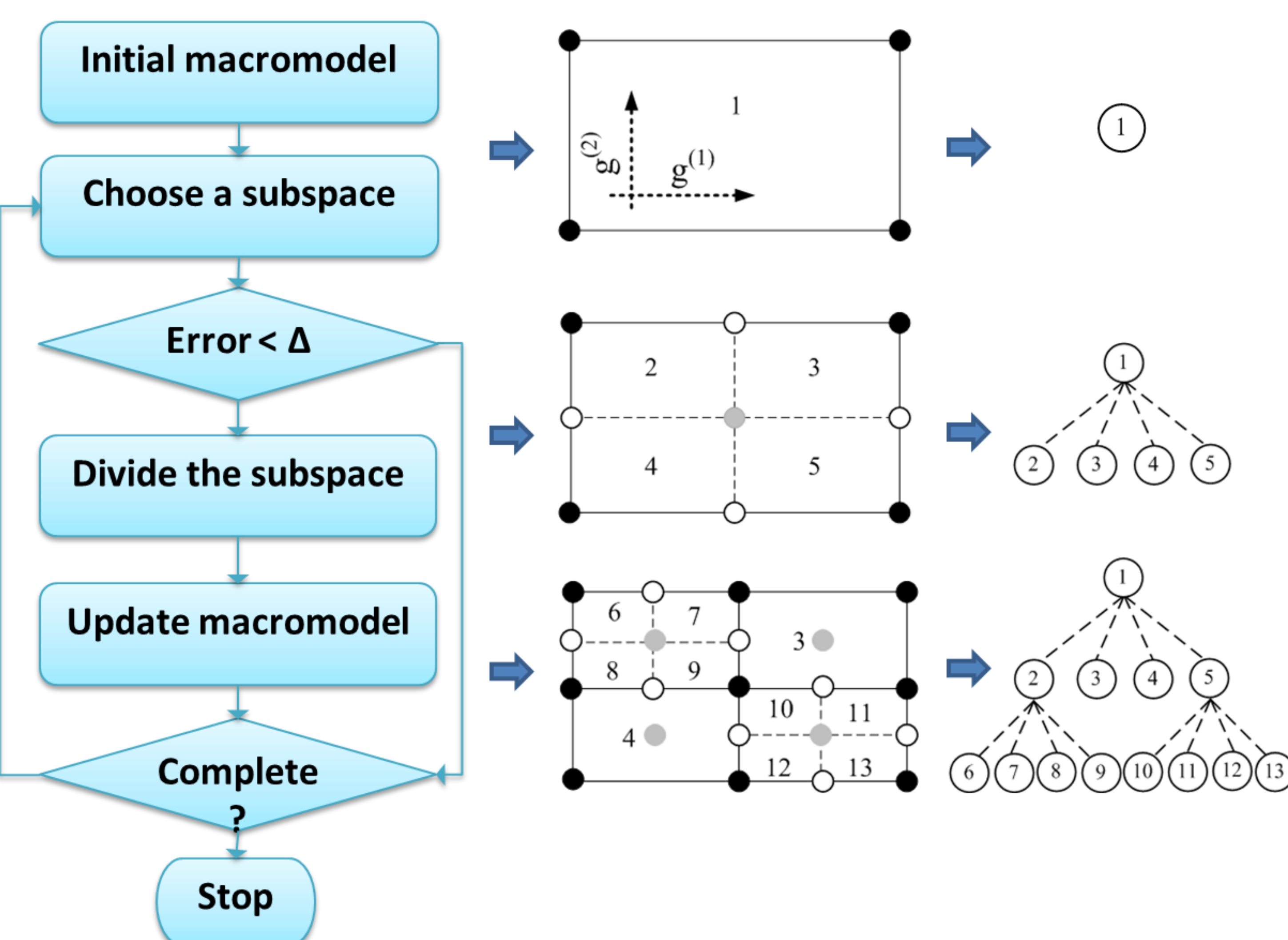
| Initial Design Point<br>( $S_1, S_2, L_1, L_2$ ) [mm] | Optimal Design Point<br>( $S_1^*, S_2^*, L_1^*, L_2^*$ ) [mm] | # Function Evaluations | Optimal Cost           | Processor Time [sec] |
|---|---|------------------------|------------------------|----------------------|
| [0.30, 0.70, 12.00, 3.00]                             | [0.27, 0.75, 12.10, 3.25]                                     | 538                    | $-8.4 \times 10^{-4}$  | 200.29               |
| [0.34, 0.69, 14.10, 2.90]                             | [0.28, 0.75, 12.19, 3.20]                                     | 444                    | $-6.3 \times 10^{-4}$  | 139.80               |
| [0.33, 0.68, 11.50, 3.20]                             | [0.28, 0.75, 12.10, 3.24]                                     | 353                    | $-10.9 \times 10^{-4}$ | 107.82               |

## Tree-based sequential sampling

### Important features:

- Error-based division.
- Searches for highly dynamic regions.
- Passivity and stability can be guaranteed.
- Sampling over the parameter space.
- independent branches for different regions.

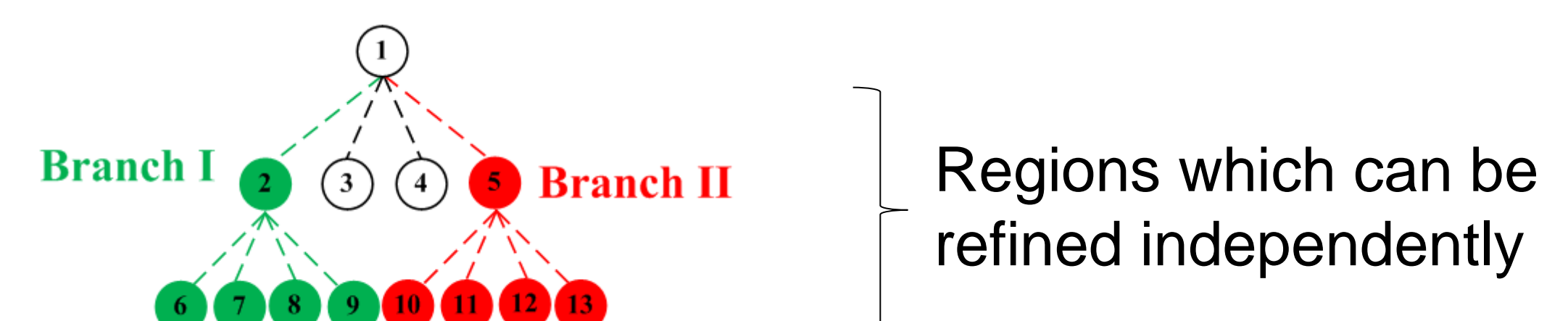
### Algorithm:



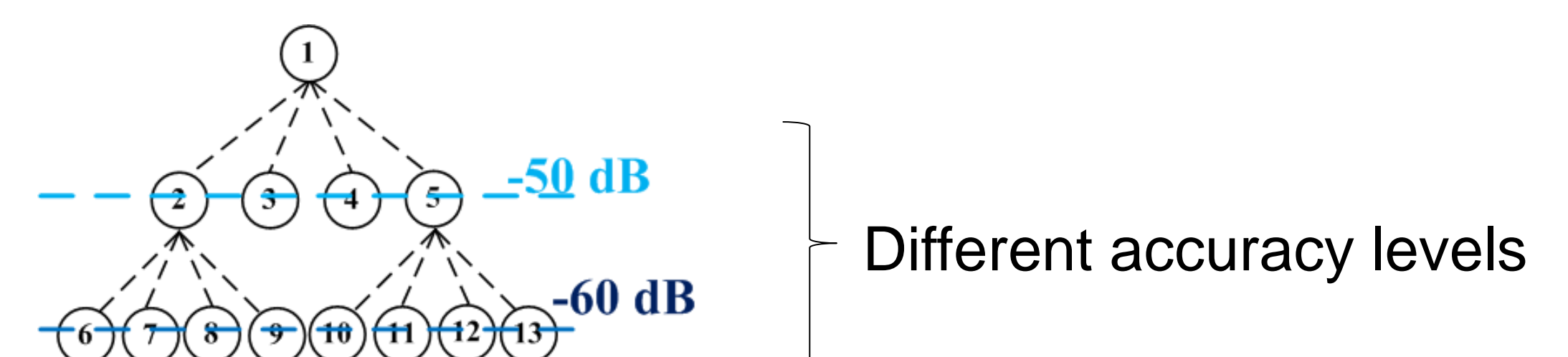
## Conclusions

### Advantages:

- Considerable automation:
  - Less burden on the designer.
  - No need of a priori information before modeling.
- Tree-based implementation:
  - Parallel processing possible.



- Error-based division and refinement:
  - Multi-fidelity models can be created.
  - Human-in-the-loop is possible.



- Properties such as stability and passivity can be guaranteed based on the scalable macromodeling method used.

### Possible future directions:

- Extending to scattered grids and further reducing the complexity.
- Avoiding expensive EM simulations for validation.